# All-sky assimilation for initial conditions and model improvements

Alan Geer

Thanks to: Katrin Lonitz, Stefano Migliorini, Marco Matricardi, Niels Bormann, Peter Weston

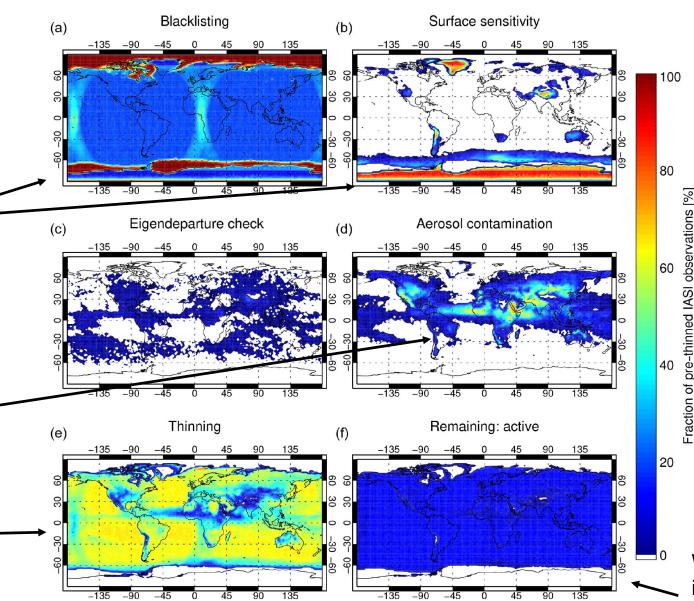


Satellite data rejections even after dealing with cloud and precipitation As % of pre-thinned data

It's hard to represent the effect of land and sea-ice surfaces

For IR and vis, aerosol is still problematic

Need for spatial observation error correlations



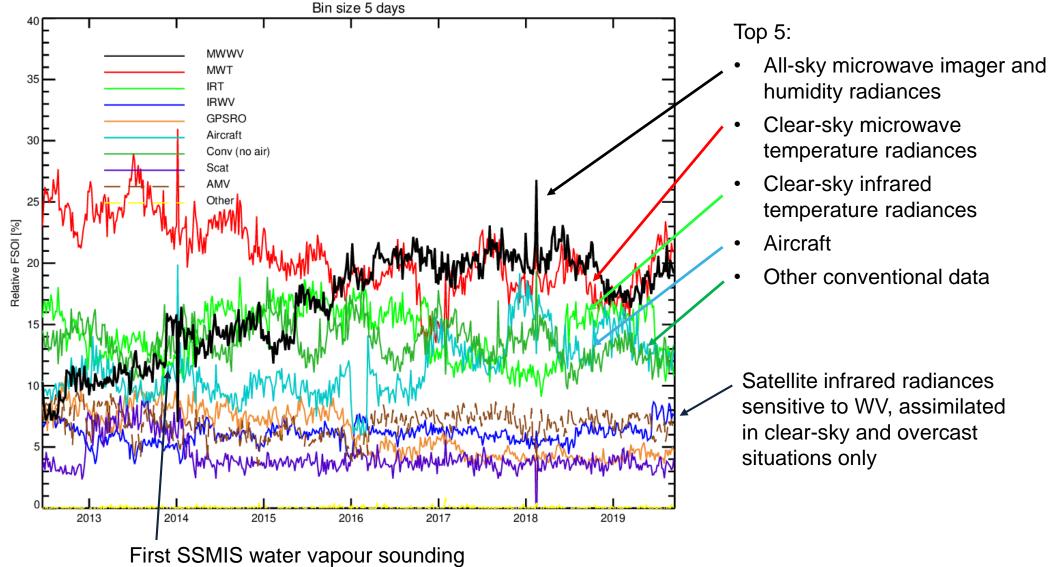


What Jo showed in intro: active all-sky IASI WV sounding

### Impact of observing system components on ECMWF 24h forecast quality

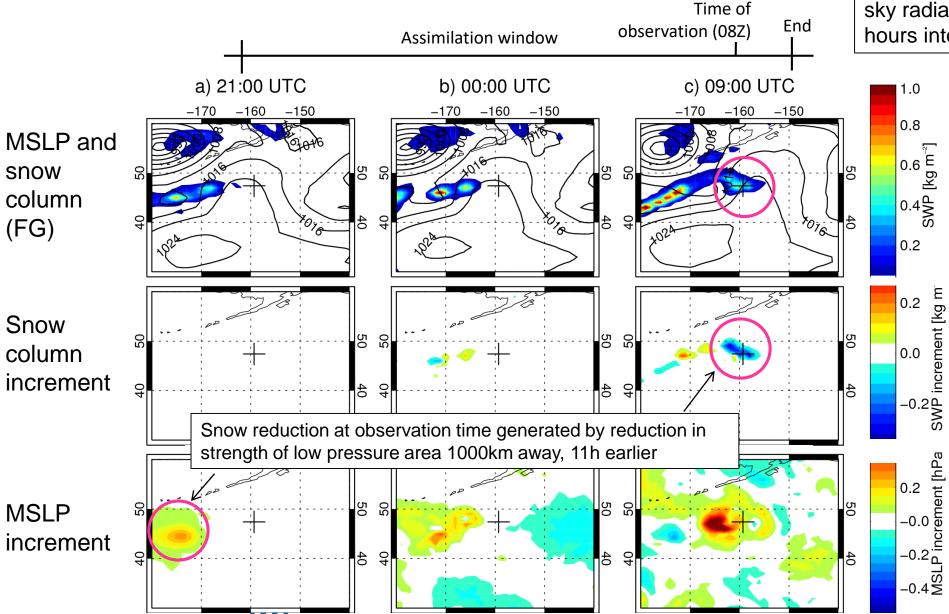
Forecast sensitivity to observation impact (FSOI): adjoint based calculation

channels assimilated in all-sky conditions



### Better forecast initial conditions: 4D-Var tracing

Single observation test case: allsky radiance observation valid 11 hours into the 4D-Var window



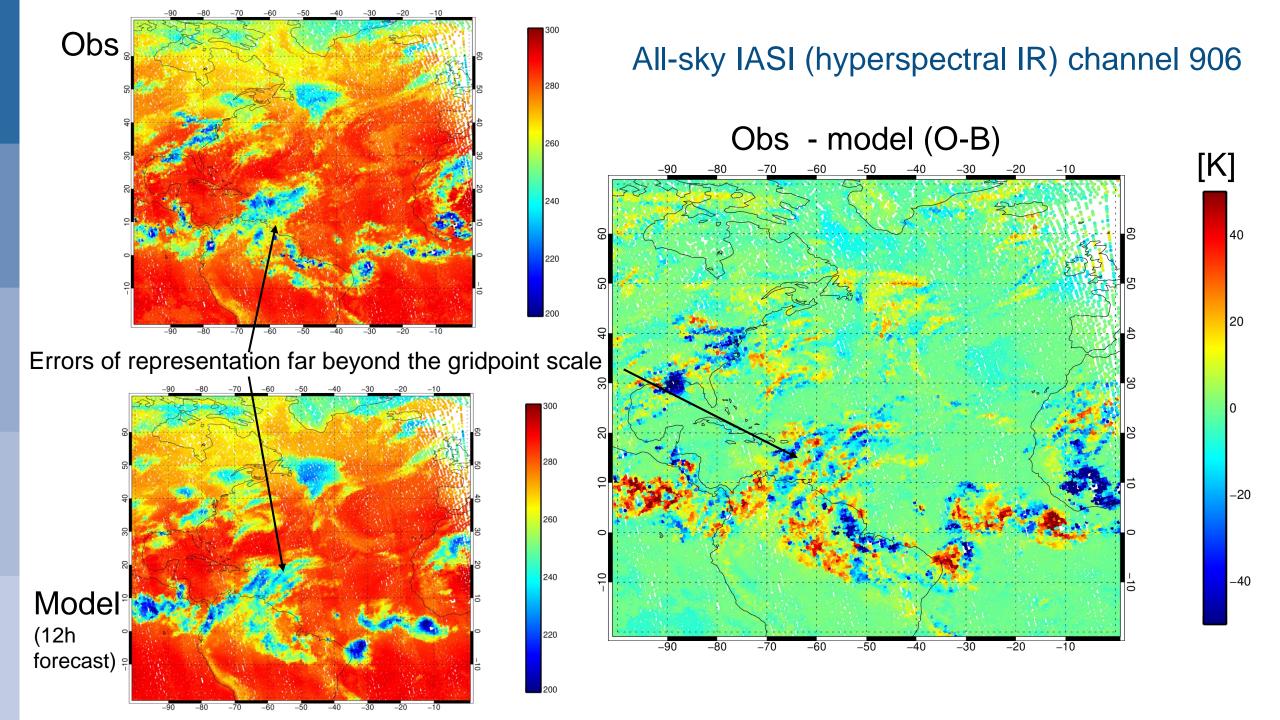
### Current all-sky developments

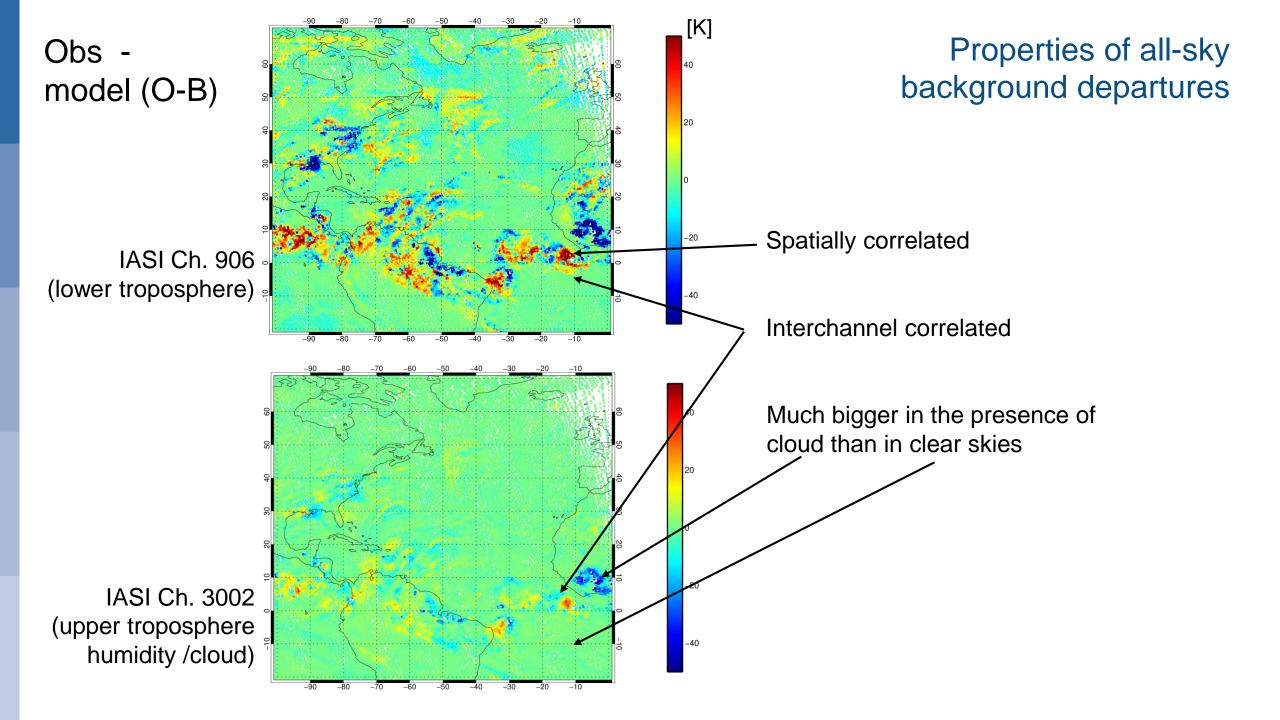
- All-sky microwave
  - Apply it to temperature sounding channels
- All-sky at other frequencies
  - All-sky IR ←
  - Visible
  - Active (cloud and precipitation radar and lidar)

- This talk:
- Part 1: oveview
- Part 2: all-sky IR and correlated errors
- Part 3: model errors

- Error modelling
  - Representation error inflation in cloudy situations
  - Interchannel correlated observation error
- All-surface
  - Assimilating microwave observations that are strongly sensitive to land surfaces
- Model bias and development
  - Forecast models and observation operators

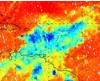






### The "representation error spectrum"

Obs

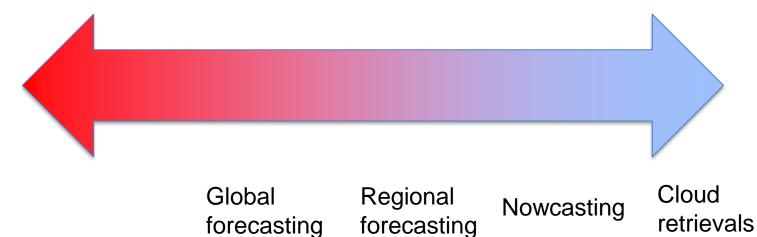


Model



Many of the cloud errors are representation or model error – so do not try to exactly fit the analysis to the observations

Cloud misplacements are background error – do try to fit analysis to observations



Fit many observations
Try to make the forecast better

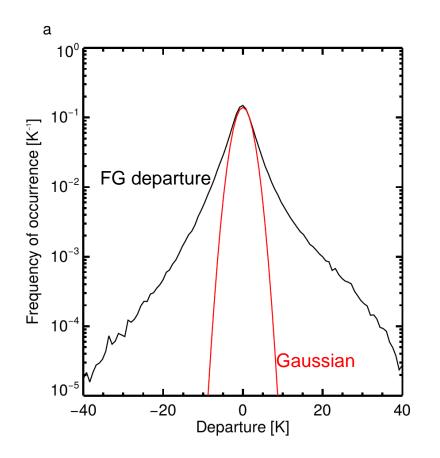
Fit one observation

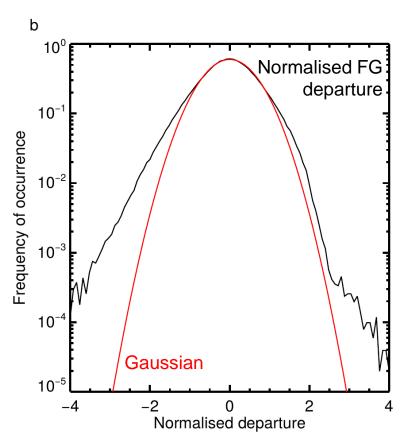


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### Situation-dependent (as yet non-correlated) observation error

All-sky microwave radiances look a lot more Gaussian with an error model





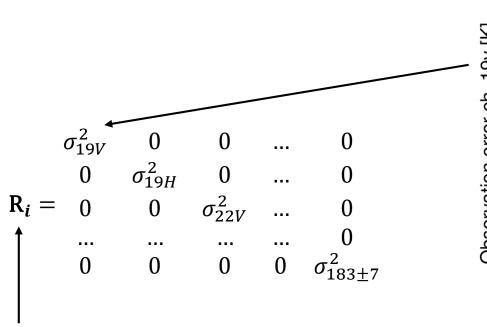
Normalised by a symmetric observation error model binned by mean of observed and simulated cloud amount

Geer and Bauer (2010,2011)

Various cloud proxy variables, e.g for all-sky IR Okamoto et al. (2014)

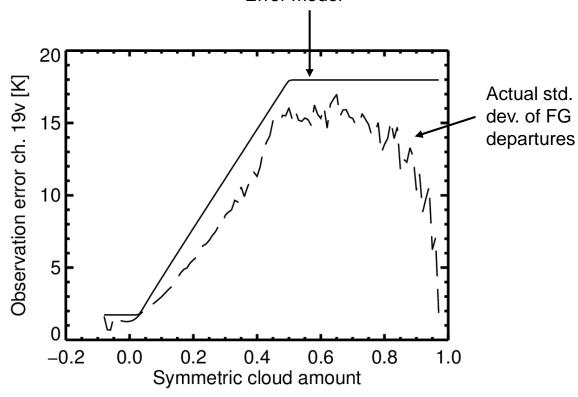


### Current all-sky microwave error model – no interchannel error correlations



Observation error covariance matrix tailored to one SSMIS observation (i)

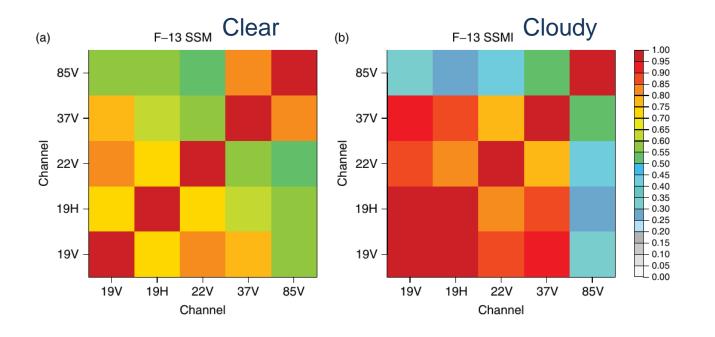
19v, 19h, 22v... = channel names



(C37 = average amount of "cloud" from observation and first guess)

#### Interchannel observation error correlations

#### Correlations are much larger in the presence of cloud



Desroziers diagnosed observation error covariances (Bormann et al, 2010)



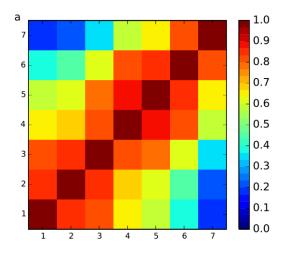
## All-sky IASI WV assimilation and inter-channel correlated errors



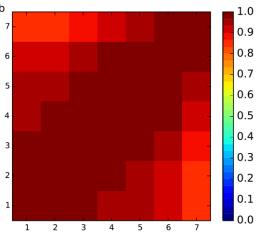
### All-sky IR error model aim: correlated, situation dependent

Geer (2019, AMT)

All-sky IR testing: 7 midupper-tropospheric humidity channels of IASI



Correlation matrix for clear-sky situations (Bormann et al., 2016)



Global constant correlation matrix based on global all-sky IR departures (Global constant error covariance taken directly from departures skipping Desroziers and error retuning)

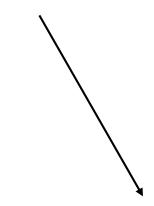


### A big approximation – ignore background error in the observation error modelling

$$E(\mathrm{dd}^T) = \mathrm{HBH}^T + \mathrm{R}$$

All-sky applications: assume representation error is observation error and is dominant

$$E(\mathrm{dd}^T) \approx \widetilde{\mathrm{R}}$$



Try to subtract background error properly:

- Desroziers (2005) statistics
- Ensemble HBHT estimates



### One way to think about obs error covariance matrices

Departure – one channel (i)

$$d_i = y_i - H_i(\mathbf{x})$$

Uncorrelated error

Cost function

$$J^{O}(\mathbf{x}) = \frac{1}{2} \mathbf{d}^{\mathrm{T}} \widetilde{\mathbf{R}} \mathbf{d} = \frac{1}{2} \sum_{i=1}^{n} \left( \frac{d_{i}}{\sigma_{i}^{O}} \right)^{2}$$

 $\lambda_i$  eigenvalue and  $e_j$  eigenvector j

Correlated error represented by an eigendecomposition

$$J^{O}(\mathbf{x}) = \frac{1}{2} \mathbf{d}^{T} \widetilde{\mathbf{R}} \mathbf{d} = \frac{1}{2} \sum_{i=1}^{n} \left( \frac{d_{i}}{\sigma_{i}^{O}} \right)^{2}$$

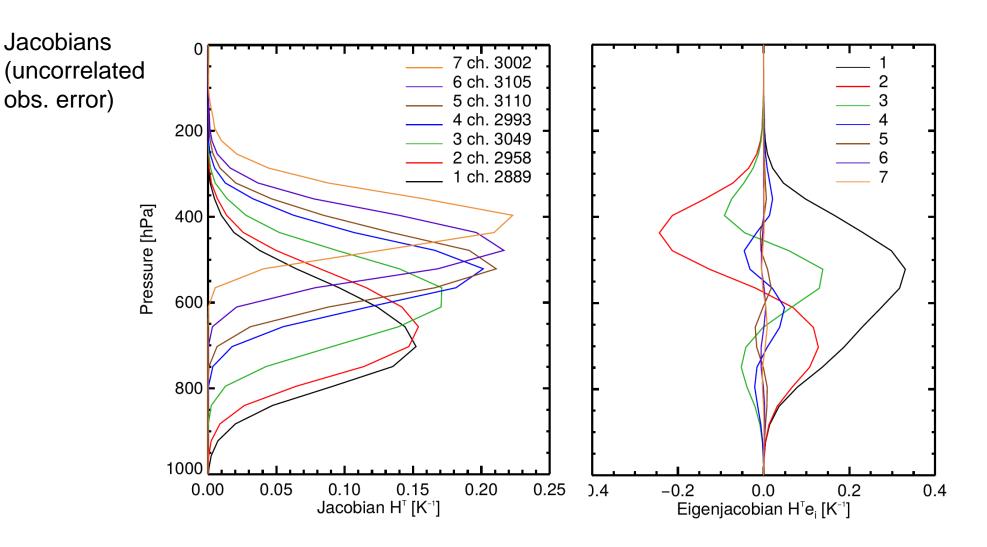
$$J^{O}(\mathbf{x}) = \frac{1}{2} \mathbf{d}^{T} \mathbf{E} \Lambda \mathbf{E}^{T} \mathbf{d} = \frac{1}{2} \sum_{j=1}^{n} \left( \frac{\mathbf{e}_{j}^{T} \mathbf{d}}{\lambda_{j}^{O.5}} \right)^{2}$$
"Eigendeparture j" its observation error is its eigenvalue^0.5

Cost function gradient

$$J^{O'(\mathbf{x})} = -\mathbf{H}^{\mathrm{T}} \widetilde{\mathbf{R}}^{-1} \mathbf{d} = \frac{1}{2} \sum_{i=1}^{n} \mathbf{h}_{i} \frac{d_{i}}{(\sigma_{i}^{o})^{2}}$$
Jacobian – one obs

$$J^{o'(\mathbf{x})} = -\mathbf{H}^{\mathrm{T}} \widetilde{\mathbf{R}}^{-1} \mathbf{d} = \frac{1}{2} \sum_{i=1}^{n} \mathbf{h}_{i} \frac{d_{i}}{(\sigma_{i}^{o})^{2}} \qquad J^{o'(\mathbf{x})} = -\mathbf{H}^{\mathrm{T}} \mathbf{E} \mathbf{\Lambda}^{-1} \mathbf{E}^{\mathrm{T}} \mathbf{d} = \frac{1}{2} \sum_{i=1}^{n} \mathbf{H}^{\mathrm{T}} \mathbf{e}_{j} \frac{\mathbf{e}_{j}^{\mathrm{T}} \mathbf{d}}{\lambda_{j}}$$
 "Eigenjacobian"

### IASI temperature sensitivities (7 all-sky WV channels)



Eigenjacobians (correlated obs. error)

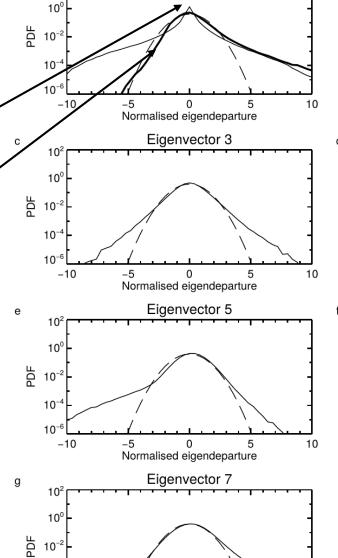


Apply an all-sky error scaling (symmetric, cloud dependent) to the leading eigenvalue/vector

With global constant leading eigenvalue

When scaled by all-sky error model

Near-Gaussianity of normalised background departures achieved within +/-3 range across all 7 eigenvectors



 $10^{-4}$ 

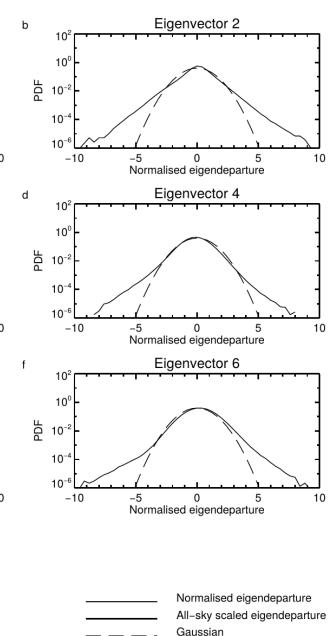
-10

-5

Normalised eigendeparture

10

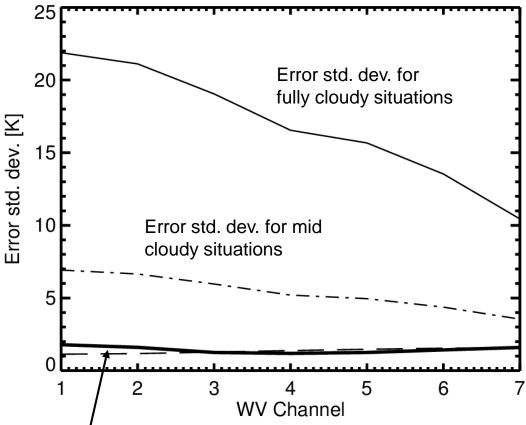
Eigenvector 1



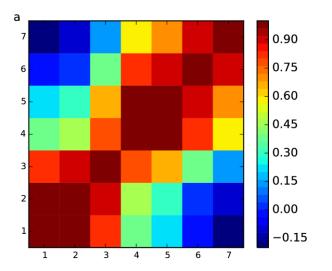


All-sky IR error model: one error covariance matrix with eigenvalue scaling as function of symmetric cloud amount

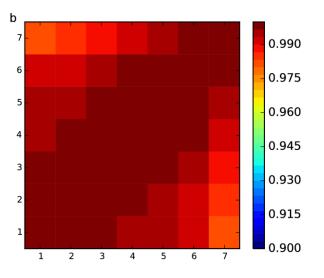
-> adaptive covariance matrix



Similar error std. dev. in clear-sky situations from new model and existing clear-sky error model



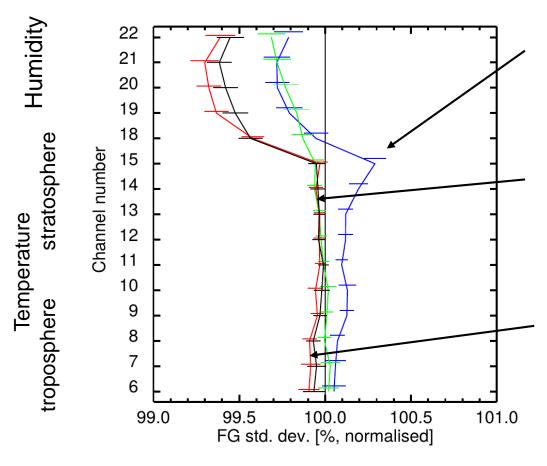
Correlation matrix for clear-sky situations



Correlation matrix for fully cloudy situations



### Analysis fit and T+12 forecast verification: fit to ATMS when assimilating 7 all-sky IR WV channels of IASI



Initial situation-dependent interchannel correlated all-sky error model degrades forecasts (particularly stratosphere)

A diagonal model does not degrade (neither does it improve much)

Eigenvalue floor situationdependent all-sky error model improves forecasts

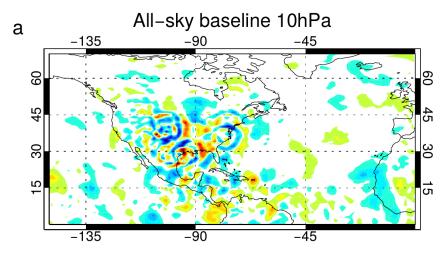
100% = Control: full system minus 7 IASI WV channels



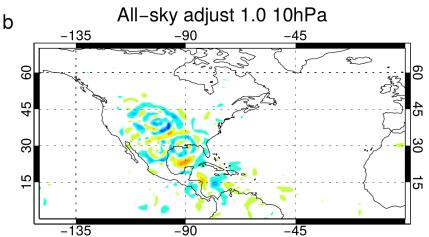
### Why eigenvalue floor is important

#### Stratospheric temperature increments generated by all-sky IR WV channels

Raw situationdependent all-sky error model



Situationdependent all-sky error model with 1.0 eigenvalue floor



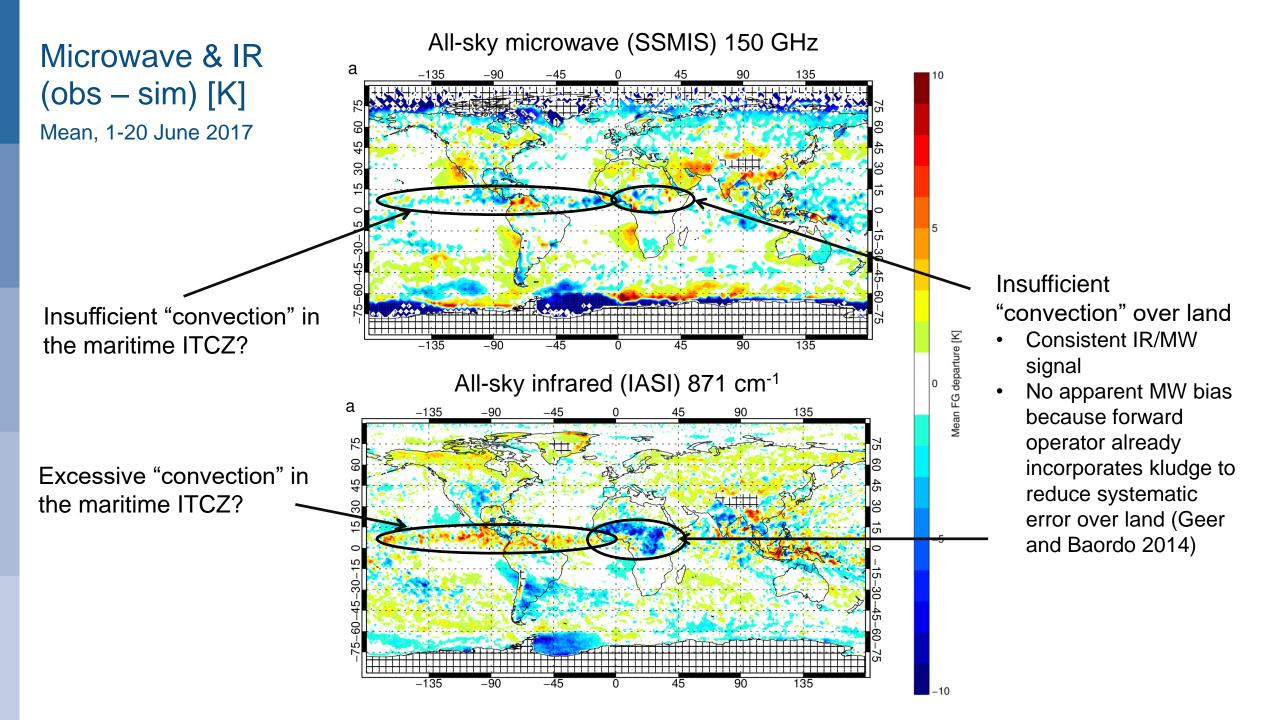
Using observation error covariance matrices is not just about conditioning:

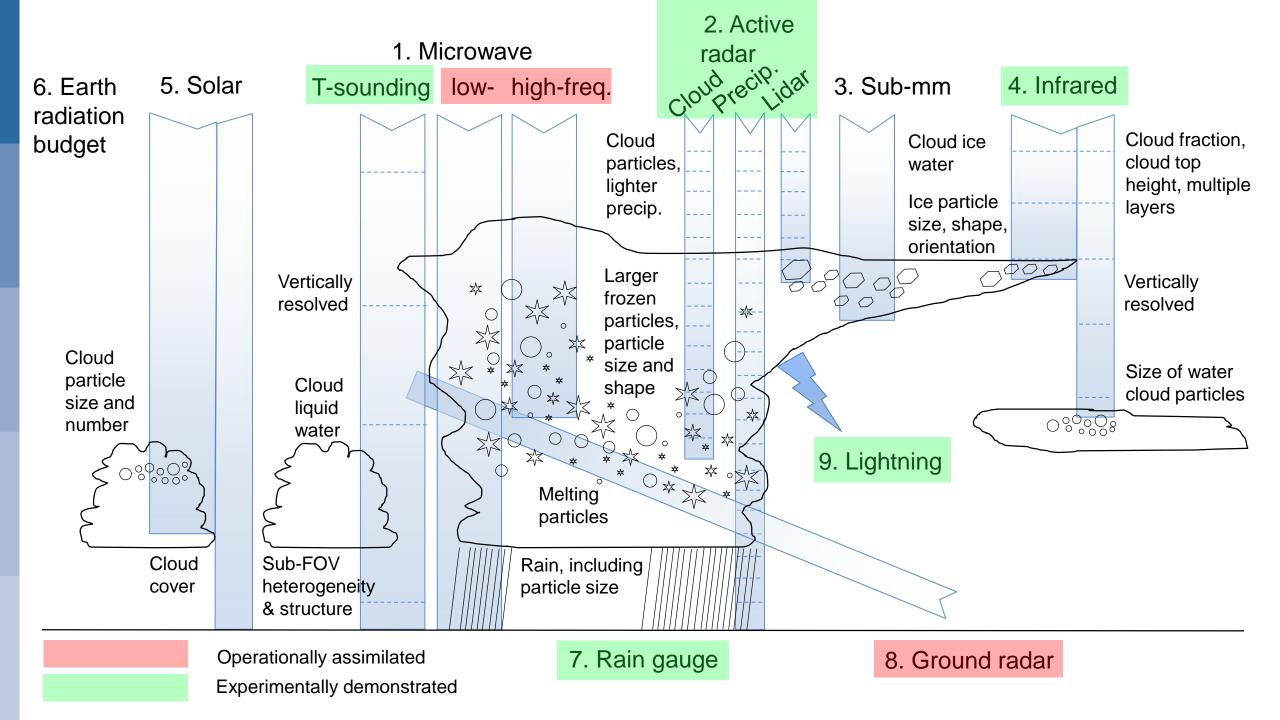
- Eigendeparture biases are very different to Tb departure biases. Trailing eigenvalues amplify some weird and previously unseen bias patterns
- Trailing eigenjacobian (j=7) over very high clouds has 60% of its temperature sensitivity in the stratosphere
- Eigenjacobians of trailing eigenvectors map onto high-order vertical T oscillations: gravity waves?



# All-sky assimilation and model errors







### Some assumptions across forecast model and observation operators at ECMWF

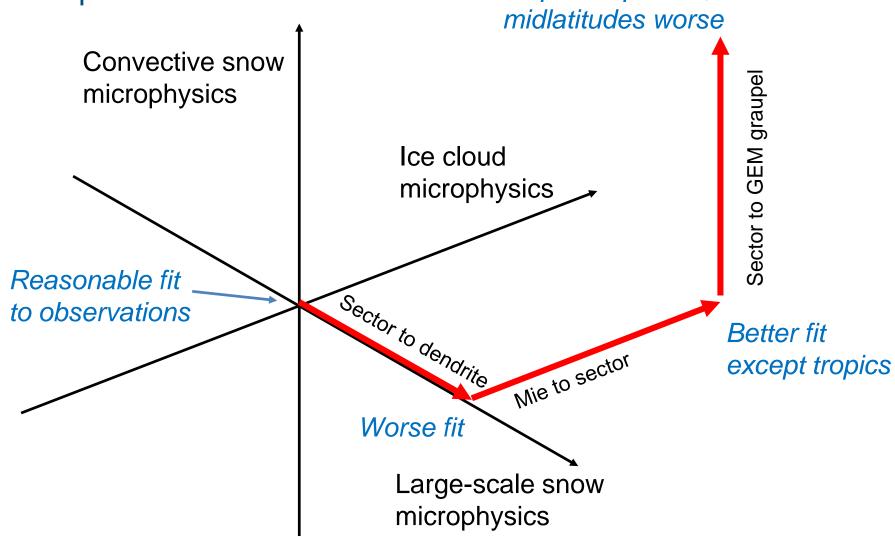
Geer et al. (2017, ECMWF Tech. Memo. 815)



| Assumption            | Large-scale condensation | Convection | Radiation                   | Microwave                         | Infrared    | Radar/lidar            |
|-----------------------|--------------------------|------------|-----------------------------|-----------------------------------|-------------|------------------------|
| Precipitation overlap | Max-random (with cloud)  | Max        | Exponential-<br>exponential | Implied max                       | Implied max | Max-random             |
| Snow particle         | Sphere                   | N/A        | Hexagonal column            | Liu (2008)<br>sector<br>snowflake | N/A         | Aggregate              |
| Snow PSD              | Cox (1988)               | N/A        | "Based on aircraft obs"     | Field et al.<br>(2007) tropical   | N/A         | Field et al.<br>(2007) |

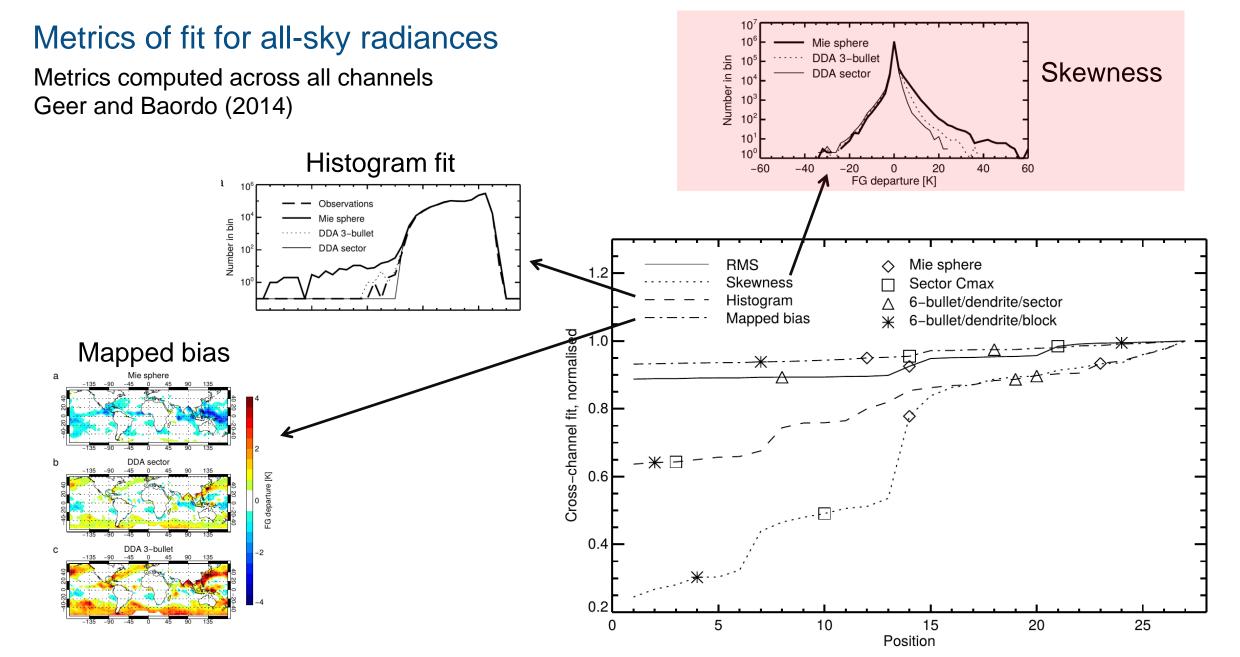


### Multidimensional optimisation problem

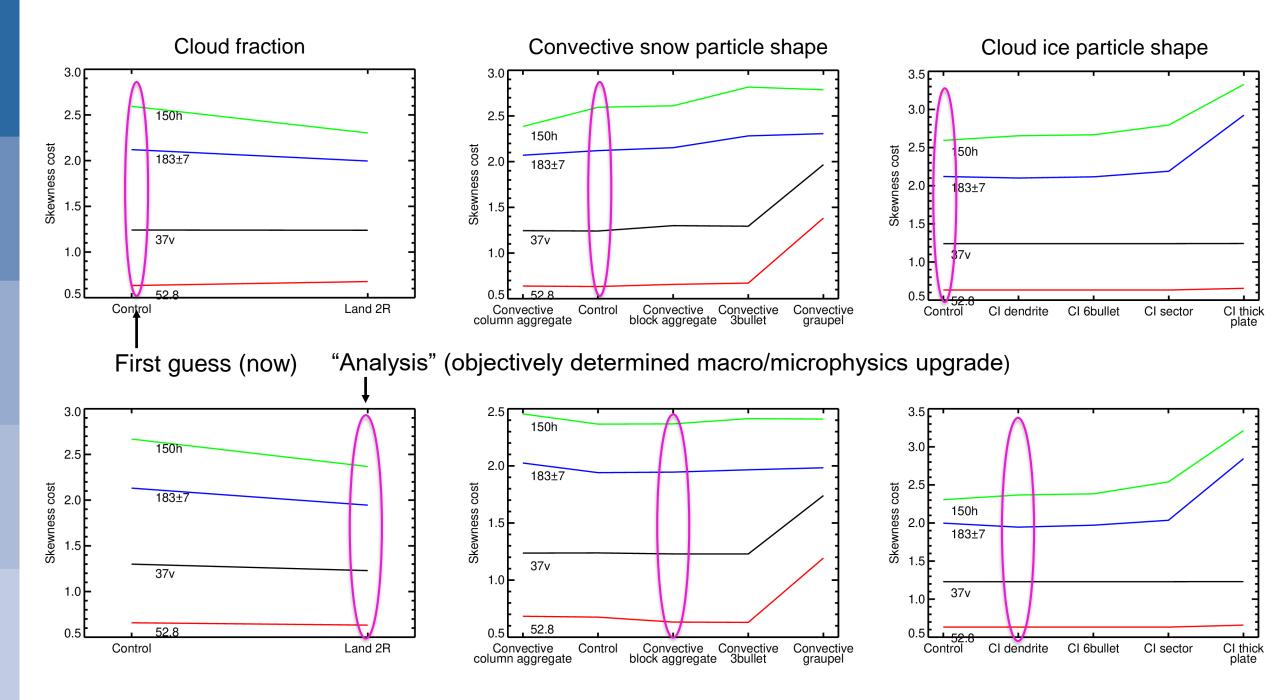


Tropics improved,









#### Summary

- All-sky assimilation for
  - Improved initial conditions
  - Developing forecast models
- Key challenges in all-sky assimilation
  - Error of representation
  - Correlated observation errors
  - Cloud and precipitation-related biases
    - Need to improve forecast model and observation operator microphysical assumptions
  - Extension to more sensors
    - Temperature sounding microwave, Infrared, visible
    - Active sensors
- Key challenges generally
  - Land and sea-ice surfaces
  - Aerosol
  - Spatially / temporally correlated representation error

